

## Assignment correction

22.2MB1  
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## Introduction

Use MATLAB to determine the distribution of magnetic flux density  $B(T)$  in the region of free space surrounding a straight current-carrying conductor of finite length.

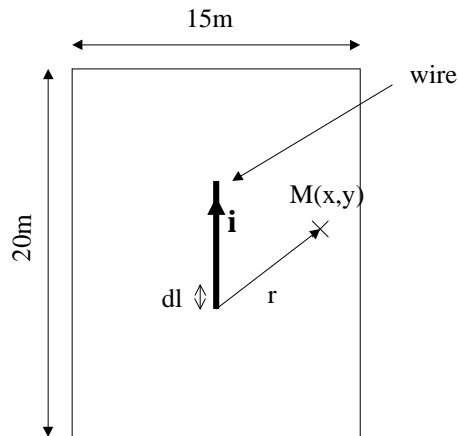
Apply the Biot-Savart Law to evaluate  $B(T)$ .

Assume that the conductor is 5m long and that it carries a direct current of 1A. Compute the magnetic field at grid points over an area of 20m x 15m, with the conductor at the centre of the grid, lying along the 20m direction.

Your report should contain the following detail, as a minimum.

1. A description of the mathematics involved, referring to an appropriate textbook.
2. A printout of your MATLAB code, with descriptive comments beside each line of code.
3. A group of four subplots

## Analysis of the problem



$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{\mathbf{i} \, d\vec{l} \times \vec{r}}{r^3}$$

Problems:

- Which resolution to use?
- How to do that with matlab?

## Matlab program

### Initiliasation

```

current = 1;           % Fixes the current amplitude to 1 A
mu_0 = 4*pi*1e-7;    % Value of mu_0
step = 0.5;          % Resolution of the grid
nbx = 15/step;        % number of points in x direction
nby = 20/step;        % number of points in y direction
% creates equally spaced points from -7.5 to 7.5
x = linspace(-7.5,7.5,nbx);
% creates equally spaced points from -10 to 10
y = linspace(-10,10,nby);
% Creates a grid of points
[X,Y] = meshgrid(x,y);
% number of elements of current
nb_dl = 10/step;
CurrentLine = linspace(-2.5,2.5,nb_dl); % Line of current

B = zeros(nby,nbx,3); % Initiliases the B vector field
Btot = zeros(nby,nbx,3); % Initiliases the total B vector field
    
```

## Matlab program

### Calculus

```
for i = 1 : nb_dl      % For each small element of current
    dl = [0;step;0];  % Creates the dl vector
    for k = 1 : nby   % For each y coordinates
        for l = 1 : nbx % For each x coordinates
            %Creates R vector over the grid
            R = [X(k,l) ; Y(k,l)- CurrentLine(i); 0];
            % Caclulates the B value due to dl over the grid
            B(k,l,:) = mu_0/(4*pi)*current*cross(R,dl)/norm(R)^3; %Calc
        end
    end
    % Initialises z Value for the origin of B (always 0)
    z = zeros(nby,nbx);
    figure(1); % Create a figure
    quiver3(X,Y,z,B(:, :,1),B(:, :,2),B(:, :,3)); %Plots B
    drawnow; % Ask for a redraw;
    Btot = Btot + B; % Generated the overall Fields to date
    figure(2); % Create a figure
    quiver3(X,Y,z,Btot(:, :,1),Btot(:, :,2),Btot(:, :,3)); %Plots Btot
    drawnow;
end
```

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Sinusoidal EM

22.3MB1

3.5

## Matlab program

### Display

```
% Calculation is now finished
figure(3);
%Plots the z value of B as Bx and By are null
surfl(X,Y,Btot(:, :,3)); shading interp; % Make it
nicer
colormap(pink); % idem
figure(4);
contour(X,Y,Btot(:, :,3)); % Now get the contours of B
BzdB = 20*log(abs(Btot(:, :,3))/1e-9); % Get Bz in dB
% Same as for B
figure(5);
surfl(X,Y,BzdB);
shading interp;
colormap(pink);
figure(6);
contour(X,Y,BzdB);
```

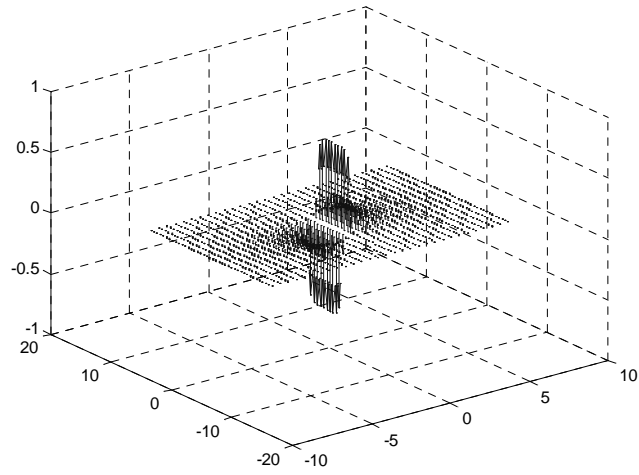
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Sinusoidal EM

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## Results

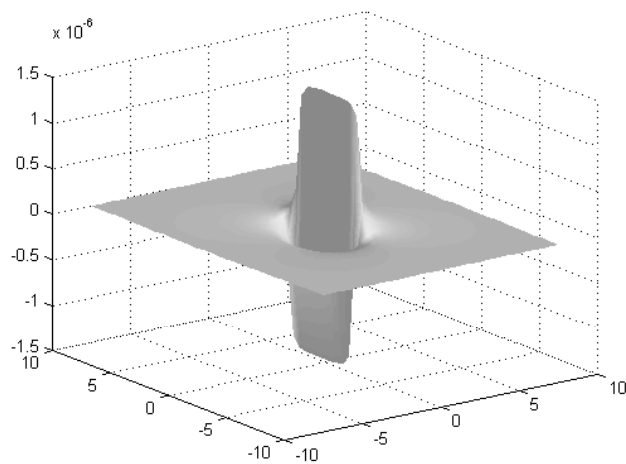


Sinusoidal EM

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## Results

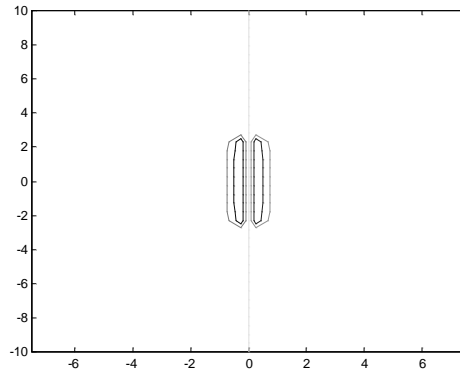


Sinusoidal EM

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## Results

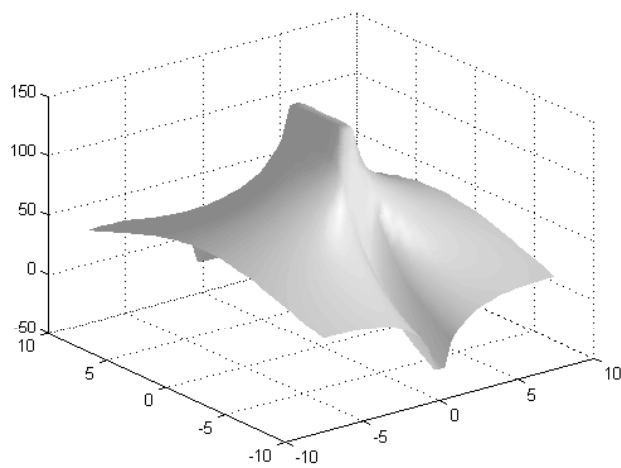


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3.9

## Results

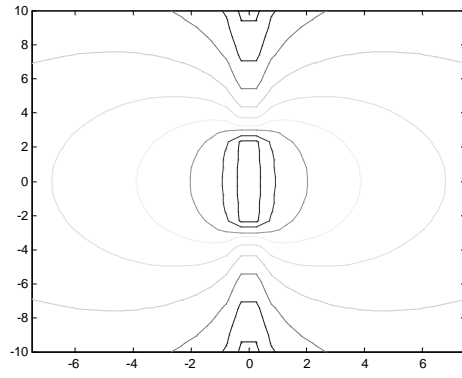


Sinusoidal EM

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3.10

## Results



Sinusoidal EM

22.3MB1

3.11